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### A Visual Basic Program for Gauss-Jordan Elimination

On the next page is Visual Basic code that is designed to run inside Excel and do Gauss-Jordan elimination. Follow these steps:

- Enter the code into Excel by following the instructions on page 32. (the first four bullets)
- Enter an augmented matrix in the upper, left corner of a spreadsheet.
- On the Developer tab in Excel click Macros and run the macro called Gauss\_Jordan. A dialog box asks the size of the system. Then the program carries out the steps of the Gauss-Jordan method and replaces the original matrix with the row-reduced matrix.

```

Sub Gauss_Jordan()
Dim Row As Integer, Col As Integer, K As Integer, N As Integer
Dim Pivot As Double, Temp As Double, Multiple As Double

N = InputBox("What is the system's size, N?")           'This problem has N equations in N unknowns.

For Col = 1 To N                                       'Col is the index of the present (pivot) column.
    MsgBox "Start working on column " & Col           'This loop runs over the columns.
    For Row = Col To N
        If Cells(Row, Col) <> 0 Then GoTo 1           'Find a candidate for the pivot element.
    Next Row                                           'When one is found we can get started.

    MsgBox "ERROR - No unique solution"               'Quick exit: The present column
    Exit Sub                                           'is full of zeros, so there is no solution, so quit.

1: If Row <> Col Then                                    'If the candidate pivot is not already on the
    MsgBox "Pivot up row " & Row                       ' diagonal then pivot up its row.
    For K = 1 To N + 1                                  'i.e. do ERO # 3.
        Temp = Cells(Row, K)
        Cells(Row, K) = Cells(Col, K)
        Cells(Col, K) = Temp
    Next K
End If

Pivot = Cells(Col, Col)                                'do ERO # 1 to put a 1 in the diagonal (pivot) element.

If Pivot <> 1 Then
    MsgBox "Apply ERO # 1 to row " & Col
    For K = 1 To N + 1                                  'Run through all the elements in the row.
        Cells(Col, K) = Cells(Col, K) / Pivot          ' [ ERO#1 ]
    Next K
Else
    MsgBox "Can skip ERO # 1 on row " & Col
End If

'do ERO # 2 to put 0's in each spot above and below the diagonal element.
For Row = 1 To N
    If Row <> Col Then
        Multiple = Cells(Row, Col)

        If Multiple <> 0 Then
            MsgBox "Apply ERO # 2 to row " & Row
            For K = 1 To N + 1                            'Run through all the elements in the row.
                Cells(Row, K) = Cells(Row, K) - Multiple * Cells(Col, K)          ' [ ERO#2 ]
            Next K
        Else
            MsgBox "Can skip ERO # 2 on row " & Row
        End If
    End If
Next Row
Next Col

MsgBox "Done! Answers are in the last column."
End Sub

```

Fig. 2.5 shows an example. (It is in fact Example 2.6.) Note that the code defines subroutine Gauss\_Jordan as a Sub rather than as a Function. This means that it has to be run as a macro rather than by typing “=Gauss\_Jordan” into a spreadsheet cell. Also note that to stop the display of the message boxes we can just comment them out or delete them.

	A	B	C	D
1	4	8	4	80
2	2	1	-4	7
3	3	-1	2	22

(a)

	A	B	C	D
1	1	0	0	7
2	0	1	0	5
3	0	0	1	3

(b)

**Figure 2.5** An example of the use of the Gauss-Jordan program of page 49. (a) The initial augmented matrix. (b) The resulting row-reduced matrix after running the macro with size  $N = 3$ .